

Uncertainty and the Economy: The Evolving Distributions of Aggregate Supply and Demand Shocks

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The expressed views do not necessarily reflect those of the Board of Governors of the Federal Reserve System, or its staff.

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Contribution 1/3

Hi,

I am abundant and,
unfortunately, do not fit this
slide.

Best Wishes,
Literature on Uncertainty and
Business Cycles

Contribution 2/3

- Distinguishing between aggregate demand (AD) and aggregate supply (AS) shocks uncertainty
- AD and AS shocks are different from each other:
 - Economic impact can be different (e.g., Blanchard and Quah, 1989)
 - Policy responses often different
- Key result: AS shocks uncertainty more important for real activity

Contribution 3/3

- Recent interest in non-Gaussian uncertainty (e.g., Adrian, Boyarchenko, and Giannone, 2019; Fernandez-Villaverde and Guerron-Quintana, 2020)
- Flexible econometric framework for multivariate distribution of macro data:
 - Non-Gaussian features (outperforms other non-Gaussian models)
 - Time-varying closed-form second/higher-order moments
 - Time-varying level and uncertainty shock correlation
- Key results applying to the joint GDP growth-inflation distribution:
 - Non-Gaussian features become more important over time
 - Negatively skewed AS uncertainty most important for real activity

Aggregate Supply and Demand Shocks

- Consider GDP growth and inflation shocks:

- $g_{t+1} = E_t[g_{t+1}] + \epsilon_{t+1}^g$

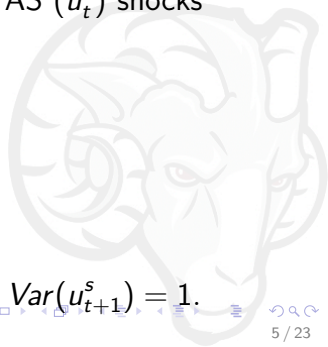
- $\pi_{t+1} = E_t[\pi_{t+1}] + \epsilon_{t+1}^\pi$

- Model them as functions of AD (u_t^d)/AS (u_t^s) shocks (Blanchard, 1989):

$$\epsilon_{t+1}^g = \underbrace{\sigma_g^d}_{>0} u_{t+1}^d + \underbrace{\sigma_g^s}_{>0} u_{t+1}^s,$$

$$\epsilon_{t+1}^\pi = \underbrace{\sigma_\pi^d}_{>0} u_{t+1}^d - \underbrace{\sigma_\pi^s}_{>0} u_{t+1}^s,$$

$$\text{Cov}(u_{t+1}^d, u_{t+1}^s) = 0, \text{Var}(u_{t+1}^d) = \text{Var}(u_{t+1}^s) = 1.$$



Identification

- "Demand" and "supply" shocks are not identified in Gaussian framework \Rightarrow use unconditional higher order moments
- For example, identification via matching co-skewness moments:

$$E[u_t^g (u_t^\pi)^2] = \sigma_g^d (\sigma_\pi^d)^2 E[(u_t^d)^3] + \sigma_g^s (\sigma_\pi^s)^2 E[(u_t^s)^3],$$
$$E[(u_t^g)^2 u_t^\pi] = (\sigma_g^d)^2 \sigma_\pi^d E[(u_t^d)^3] - (\sigma_g^s)^2 \sigma_\pi^s E[(u_t^s)^3].$$

- Imagine: $E[(u_t^s)^3] \approx 0$ and $E[(u_t^d)^3] < 0$:
 - co-skewness moments admit identification of σ_π^d and σ_g^d
 - if $E[u_t^g (u_t^\pi)^2] < E[(u_t^g)^2 u_t^\pi] \Rightarrow \sigma_\pi^d > \sigma_g^d$

Modeling demand and supply shocks

- Demand and supply shocks modeled using Bad Environment-Good Environment (BEGE) structure (Bekaert and Engstrom, 2017): component models of two 0-mean shocks

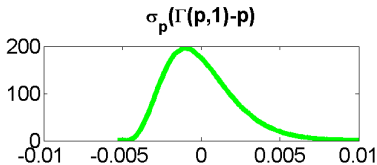
$$\left. \begin{aligned} u_{t+1}^d &= \sigma_p^d \omega_{p,t+1}^d - \sigma_n^d \omega_{n,t+1}^d, \\ u_{t+1}^s &= \sigma_p^s \omega_{p,t+1}^s - \sigma_n^s \omega_{n,t+1}^s, \end{aligned} \right\} \begin{array}{l} \omega_{p,t+1} - \text{good environment shock} \\ \omega_{n,t+1} - \text{bad environment shock} \end{array}$$

- Shocks follow demeaned gamma distributions:

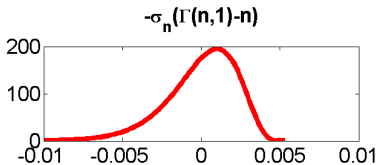
$$\left. \begin{aligned} \omega_{p,t+1}^d &\sim \Gamma(p_t^d, 1) - p_t^d, \\ \omega_{n,t+1}^d &\sim \Gamma(n_t^d, 1) - n_t^d, \\ \omega_{p,t+1}^s &\sim \Gamma(p_t^s, 1) - p_t^s, \\ \omega_{n,t+1}^s &\sim \Gamma(n_t^s, 1) - n_t^s. \end{aligned} \right\} \Gamma(x, y) \text{—shape parameter } x \text{ and scale parameter } y$$

Bad Environment-Good Environment Probability Density Function

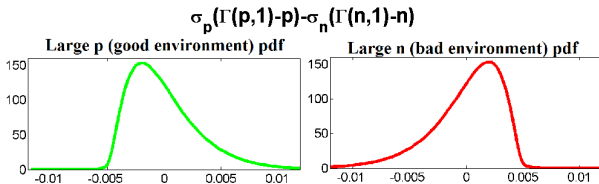
Good component pdf:



Bad component pdf:



Sum pdf:



Time-varying variances

- AR(1) process for shape parameters:

$$p_{t+1}^d = \bar{p}^d + \rho_p^d (p_t^d - \bar{p}^d) + \underbrace{\sigma_{pp}^d \omega_{p,t+1}^d}_{\text{level shock}} + \underbrace{\sigma_{pp}^{dd} \nu_{p,t+1}}_{\text{pure variance shock}}$$

- Similar processes for n_{t+1}^d , p_{t+1}^s , n_{t+1}^s
- $p_t^d/n_t^d = \text{good (positively skewed)/bad (negatively skewed)}$
demand variances
- $p_t^s/n_t^s = \text{good (positively skewed)/bad (negatively skewed)}$ supply
variances
- Flexible time-varying correlation between level and variance
shocks: good/bad variance positively/negatively correlated with
level shocks

Bad Environment-Good Environment Structure Properties

- Flexible: e.g., Gaussian and rare disaster distributions are special cases
- Closed-form expressions for second and higher-order moments
- Outperforms other non-Gaussian models (e.g., regime-switching models)

Data and Estimation

- US quarterly data 1968Q4-2019Q2
- 3 step estimation:
 - Shocks to output growth and inflation: real-time data from Survey of Professional Forecasters
 - Demand and supply shocks: invert from output growth and inflation shocks after estimating "structural" loadings via GMM using higher order moments (**3rd and 4th order moments are jointly highly significant and GMM fits them well**)
 - $p_t^d, n_t^d, p_t^s, n_t^s$: approximate maximum likelihood (Bates, 2006)

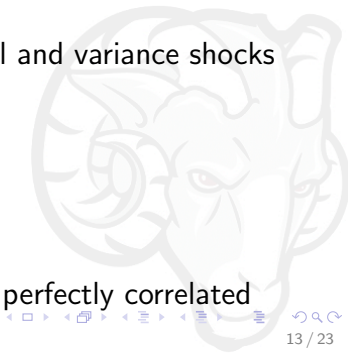
Loadings of GDP Growth and Inflation Shocks onto Supply and Demand Shock

	u_t^π	u_t^g
u_t^s	-0.4829 (0.0566)	1.1802 (0.1129)
u_t^d	0.5141 (0.0685)	0.6035 (0.1064)

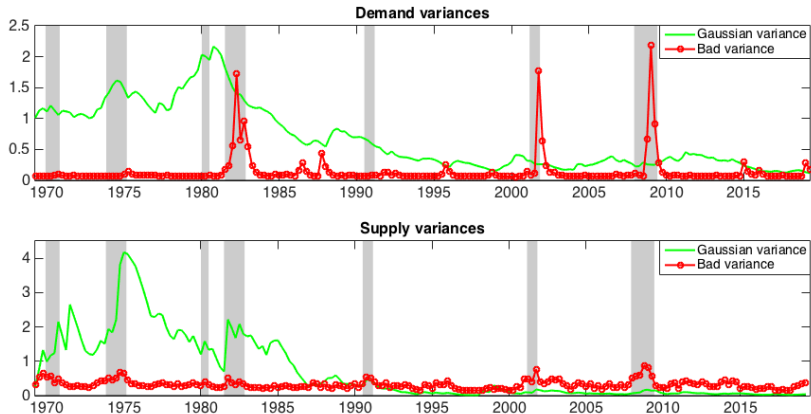
standard errors in parentheses

AS/AD Dynamics

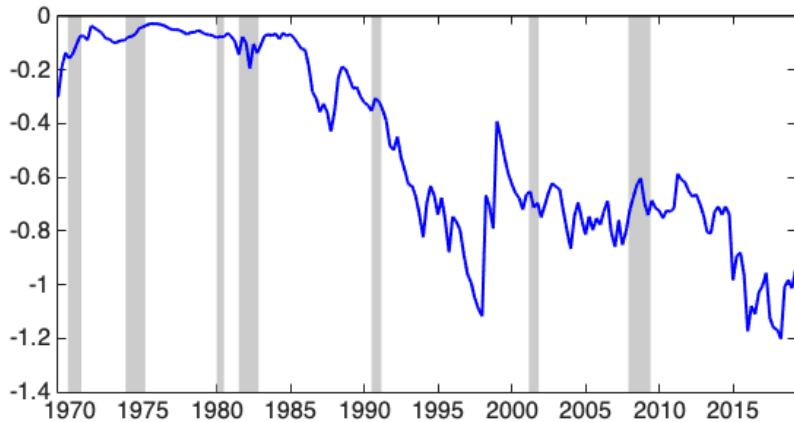
- Model selection based on Akaike information criterion
- AS:
 - Good component: Gaussian; level and variance shocks are independent
 - Bad component: gamma; level and variance shocks are perfectly correlated
- AD:
 - Good component is Gaussian
 - Bad component is gamma
 - Level and variance shocks are perfectly correlated



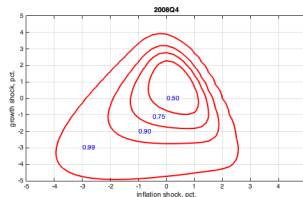
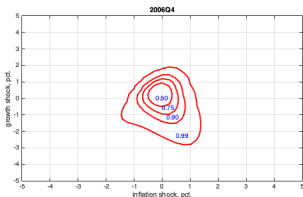
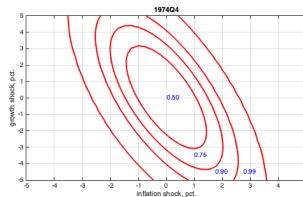
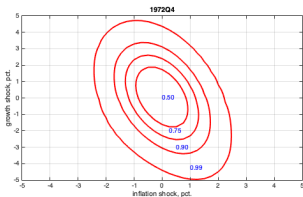
AS/AD Variances



Real GDP Growth Skewness (Scaled)

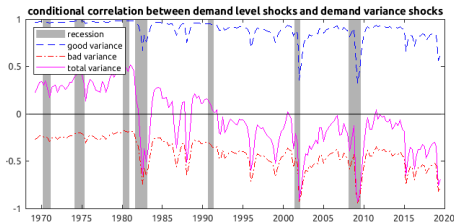
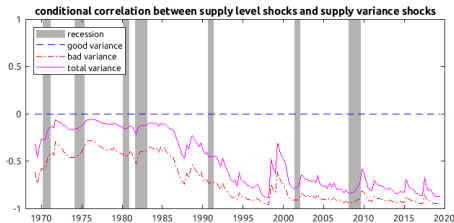


Conditional Contour Plots of Joint Real GDP Growth - Inflation Distribution



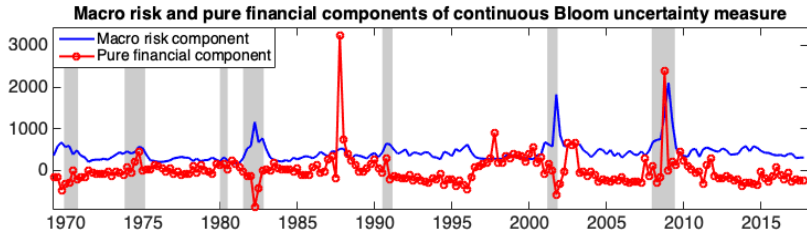
Numbers correspond to percentiles

Conditional Correlation between Level and Variance Shocks



Bloom (2009) Uncertainty Decomposition

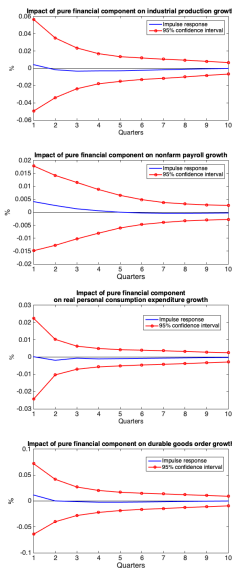
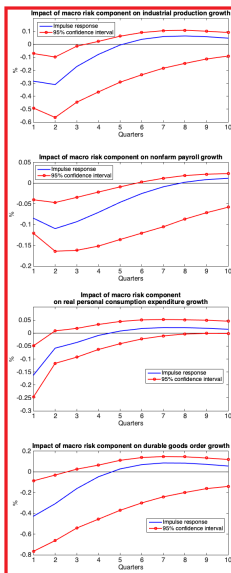
- Bloom (2009) measures uncertainty using financial markets volatility
- Regress on macro variances:
 - **Fit:** macro variances explain 24.97% of variation, which can be further decomposed into Gaussian/bad-demand/supply components
 - **Residual:** "pure financial" component



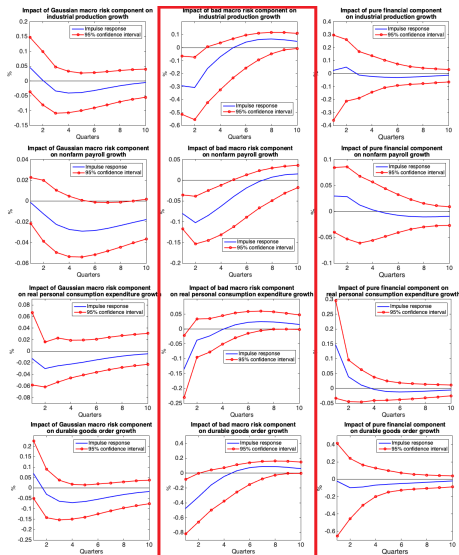
VAR Impulse Responses 1/4

- VAR with macro and "pure financial" variances + key macroeconomic growth indicators (+controls such as federal funds rate):
 - Industrial production growth
 - Nonfarm payroll growth
 - Real personal consumption expenditure growth
 - Durable goods order growth
- Results similar with both reduced-form and structural shocks (Cholesky ordering does not matter)

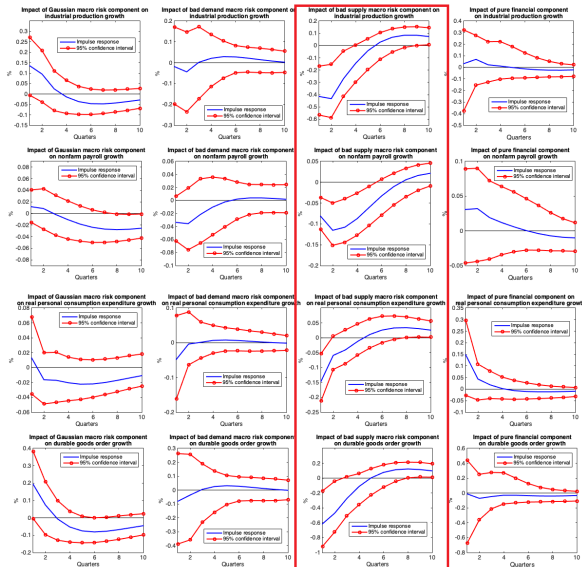
VAR Impulse Responses 2/4



VAR Impulse Responses 3/4



VAR Impulse Responses 4/4



Conclusions

- New dynamic model for real GDP growth and inflation
- Relative importance of non-Gaussian features in macro data increasing over time
- Differential impact of Gaussian/bad (negatively skewed) AD/AS uncertainty on real economic activity